



Dense Labeling with User Interaction: an Example for Depth-Of-Field Simulation

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INTRODUCTION

- Many problems in Computer Vision can be formulated as a dense labeling problem.
- Common dense labeling techniques require a high computational cost for interactive applications.
- Besides, adding user knowledge in automatic systems can produce better solutions: interactive feedback.

RELATED WORK

Markov Random Fields (MRF) :

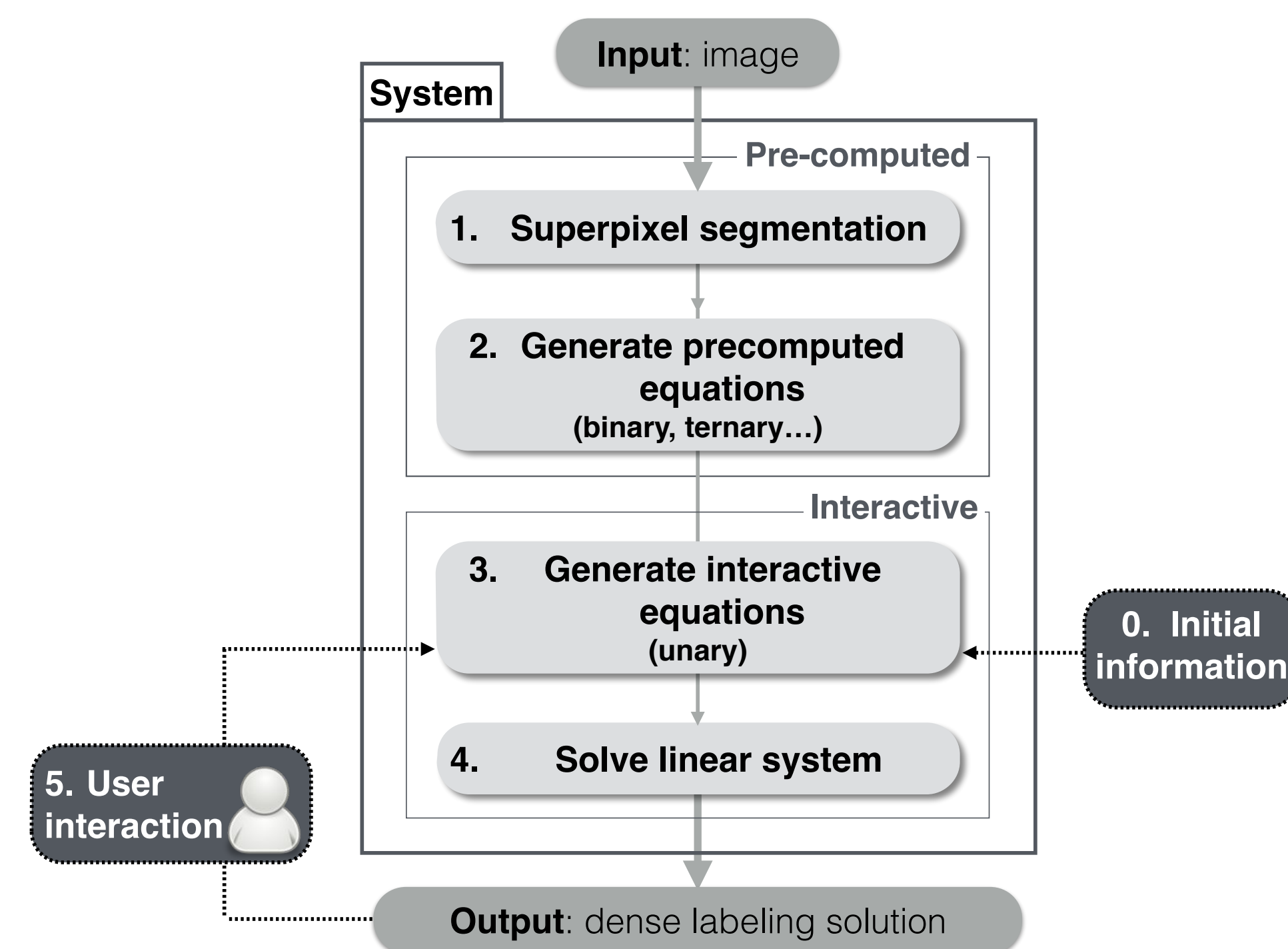
- discrete labels
- high execution time for interactive app

Random Walks :

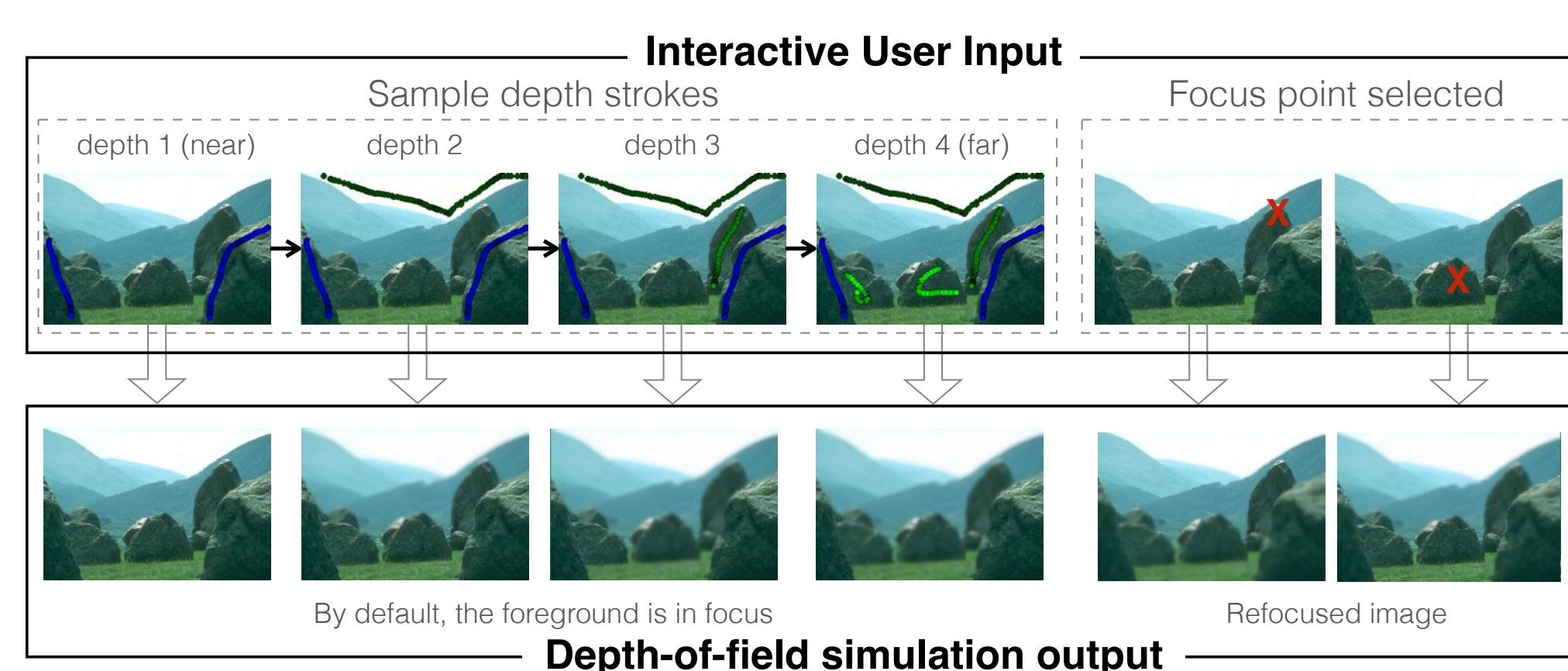
- one linear system per label
- discrete labels with seeds

CONTRIBUTIONS

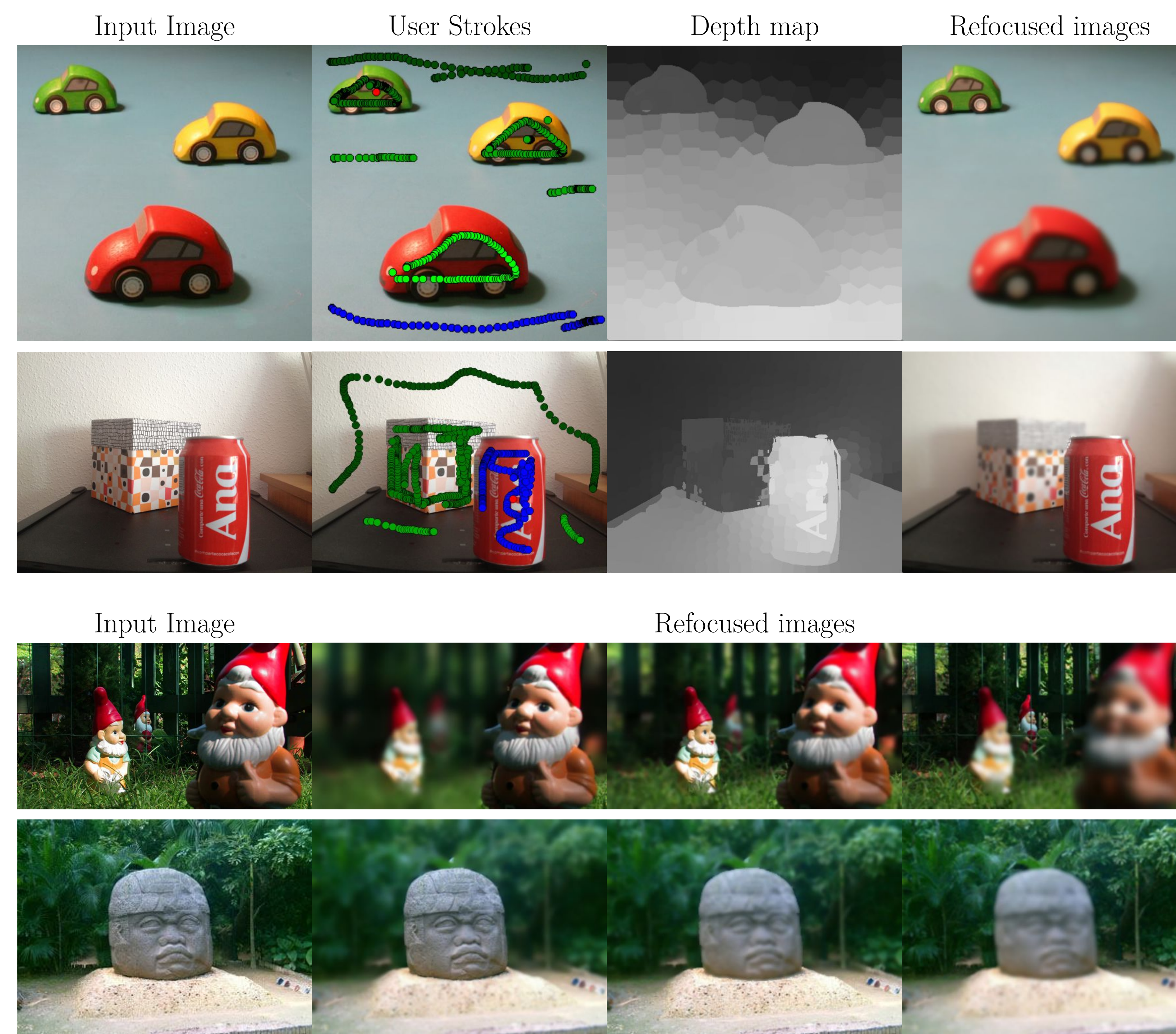
- Efficient dense labeling approach



- Interactive application for D-o-F simulation



RESULTS



EVALUATION

AUTOMATIC DENSE INPUT

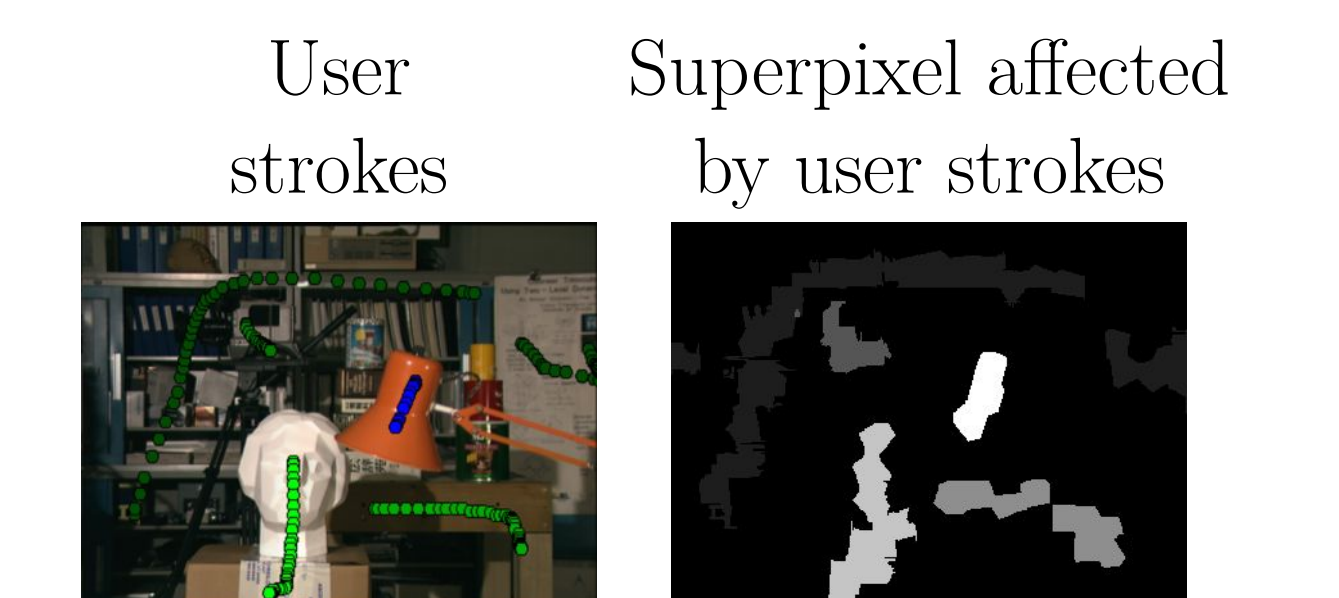
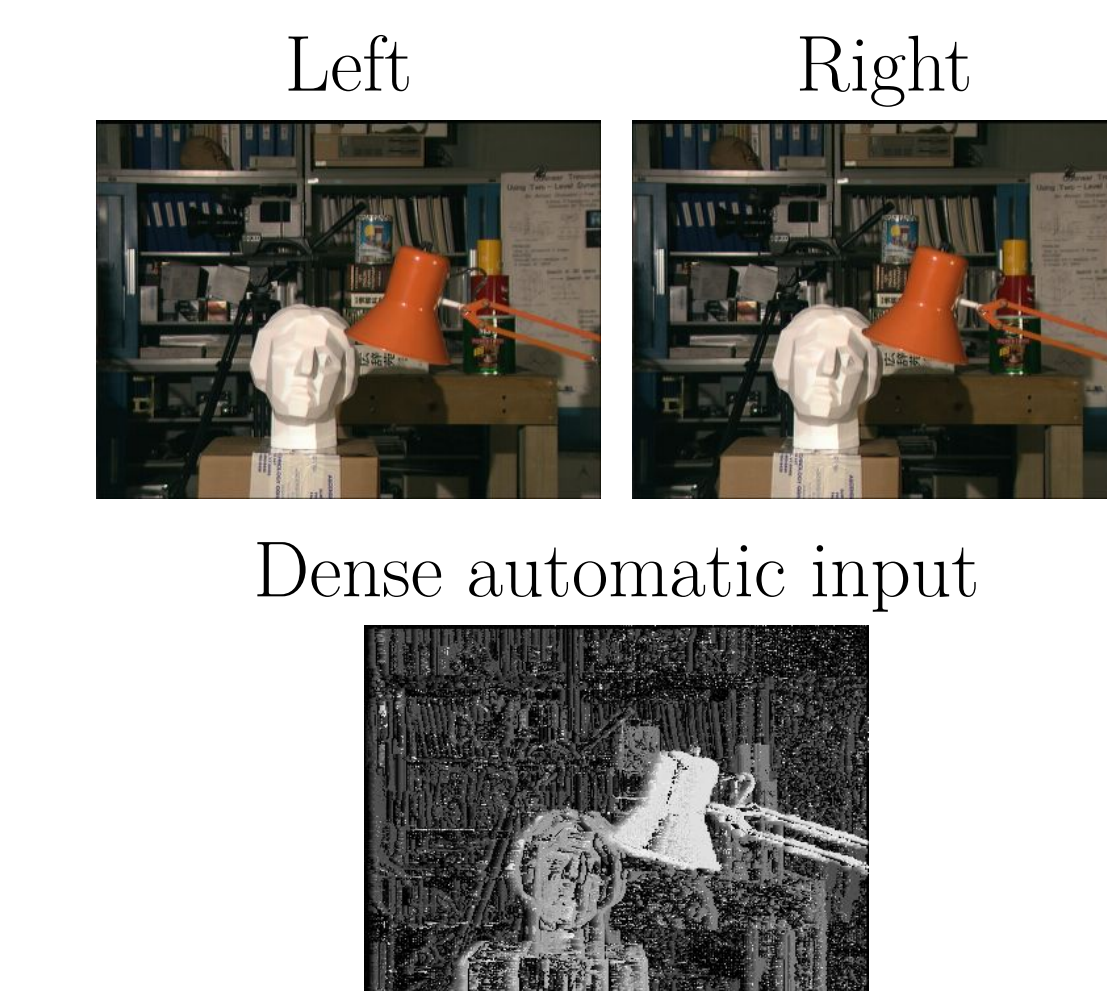
Method	Tsukuba (384x288) #Labels=16		Venus (434x383) #Labels=20		Teddy (450x375) #Labels=60	
	time	err	time	err	time	err
<i>Pixel-based</i>						
ICM [2]	0.520	0.12	0.460	0.10	1.900	0.13
Expansion [3]	2.220	0.02	6.940	0.02	19.90	0.05
Swap [3]	2.250	0.02	7.010	0.02	12.60	0.05
TRW-S [4]	8.840	0.02	115.0	0.02	158.0	0.05
BP-S [5]	1.370	0.02	8.690	0.03	21.20	0.05
BP-M [5]	13.30	0.02	-	-	193.0	0.05
BCD [6]	0.920	0.09	1.500	0.17	2.760	0.08
RW [7]	0.200*	0.12	0.400*	0.20	0.600*	0.16
<i>Superpixel-based</i>						
Expansion	3.090	0.06	6.320	0.10	6.210	0.08
Ours	0.002	0.06	0.005	0.10	0.005	0.09

—: the method did not converge to a solution
*: execution time is measured in Matlab.

SPARSE USER INPUT

Method	Tsukuba (384x288) #Labels=5		Venus (434x383) #Labels=5		Teddy (450x375) #Labels=5	
	time	err	time	err	time	err
<i>Pixel-based</i>						
ICM [2]	N/A	N/A	N/A	N/A	N/A	N/A
Expansion [3]	N/A	N/A	N/A	N/A	N/A	N/A
Swap [3]	N/A	N/A	N/A	N/A	N/A	N/A
TRW-S [4]	N/A	N/A	N/A	N/A	N/A	N/A
BP-S [5]	N/A	N/A	N/A	N/A	N/A	N/A
BP-M [5]	24.40	0.14	34.20	0.09	35.10	0.18
BCD [6]	-	-	-	-	-	-
RW [7]	0.500*	0.13	0.600*	0.20	0.700*	0.09
<i>Superpixel-based</i>						
Expansion	4.170	0.06	6.370	0.14	7.960	0.09
Ours	0.002	0.06	0.005	0.15	0.005	0.06

—: can't provide to available implementation.
*: execution time is measured in Matlab.



CONCLUSION

- Our approach is the **fastest** to obtain a solution while keeping comparable quality in the results.
- The dense labeling pipeline has great flexibility to model this problem and has the advantage of providing an **interactive solver**.
- We believe that our approach will inspire future research for interactive editing applications based on dense labeling.

REFERENCES

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FORMULATION

- Model the image as a graph:
 - nodes N : SLIC superpixels [1]
 - edges E : relationships between superpixels.
- Continuous set of labels: real numbers in $[0,1]$.
- Linear system of equations:
$$\begin{pmatrix} A_p \\ A_i \end{pmatrix} \cdot x = \begin{pmatrix} b_p \\ b_i \end{pmatrix}$$

Binary equations: $w_b(l_p - l_q) = 0$

$$w_b = \begin{cases} w_c & \text{if } d_{pq} \leq D_{MAX} \\ 1 - w_c & \text{otherwise} \end{cases}$$

$$d_{pq} = \sqrt{(B_{pq}^l - B_{qp}^l)^2 + (B_{pq}^u - B_{qp}^u)^2 + (B_{pq}^b - B_{qp}^b)^2}$$

Unary equations: $l_p = z_i$

MORE INFORMATION

Email: acambra@unizar.es
 Web: <http://webdiis.unizar.es/~acambra>
 Code: https://github.com/anacambra/app_lensblur

Video



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